

# Refutation of Einsteinian general relativity with m theory

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## 3 Computation and graphics

The Euler-Lagrange equations for the potential of the Coates spiral have been solved, giving the trajectories of a mass  $m$  in the potential energy

$$U(r_1) = -\frac{m k}{2 r_1^2}, \quad (39)$$

defined in the space  $(r_1, \phi)$ . The factor of 1/2 has been introduced to obtain the radial force

$$F(r_1) = -m \frac{\partial U(r_1)}{\partial r_1} = -m \frac{k}{r_1^3}. \quad (40)$$

In observer space  $(r, \phi)$  the variable  $r_1$  has to be replaced by  $r/\sqrt{m(r)}$ . The potential has to be re-defined appropriately in m space and gives an additional force term:

$$U(r) = -m k \frac{m(r)}{2 r^2}, \quad (41)$$

$$F(r) = m k \left( \frac{d m(r)}{d r} \frac{1}{2 r^2} - \frac{m(r)}{r^3} \right). \quad (42)$$

The additional force term is caused by  $dm(r)/dr$  and represents a spacetime or vacuum force inferred by m theory.

We have solved the Evans-Eckardt equations in Lagrangian form in four cases:

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1. non-relativistic limit with  $m(r)=1$ ,
2. non-relativistic limit with exponential  $m(r)$ ,
3. ultra-relativistic limit with  $m(r)=1$ ,
4. ultra-relativistic limit with exponential  $m(r)$ .

The equations of motion are those of UFT 420 but computed for the potential (41). The  $m$  function was that of Eq. (79) in UFT 419. As already discussed in earlier papers, the derivative of  $m(r)$  introduces chaotic behaviour and makes the results very sensitive to the initial conditions. It was possible to use the same initial conditions for cases 1, 2 and 4 but not for case 3. The resulting orbits are graphed in Figs. 1-4. The non-relativistic limit was realized by setting the velocity of light  $c$  to a high value. Obviously effects remain so that the spiral in Fig. 1 has a crossing point. Using an  $m$  function  $m \neq 1$  in Fig. 2 changes the result drastically. The ultra-relativistic case in Fig. 3 changes the asymptote to a completely different direction. Using the  $m$  function (Fig. 4), the direction is changed again, including a crossing point similar to that in Fig. 1. The velocity curve of case 4 is graphed in Fig. 5 (as a time trajectory). It is seen that the velocity moves asymptotically to a constant value, as known experimentally from spiral galaxies and refuting Einsteinian general relativity.

As an example in  $(r_1, \phi)$  space we have repeated the calculations of case 4 with potential (39) the corresponding equations of motion. It was quite difficult to find non-trivial states, i.e. bound states in spiral-like form. One result is graphed in Fig. 6 where the trajectory describes exactly one loop around the centre. Recalculating the observer variable  $r$  according to

$$r = r_1 \sqrt{m(r_1)} \tag{43}$$

shows that a deviation between both coordinates is visible only near to the centre where the  $m$  function significantly differs from unity. The same effect is seen for the angular momenta (Newtonian and relativistic) which differ only in this region by a peak of the Newtonian value. A similar result holds for the total energies (Fig. 8). It can be seen that the relativistic energy is a negative constant, i.e. a bound state. Since the orbit is highly non-Newtonian, there is a huge deviation when the mass moves near to the centre.

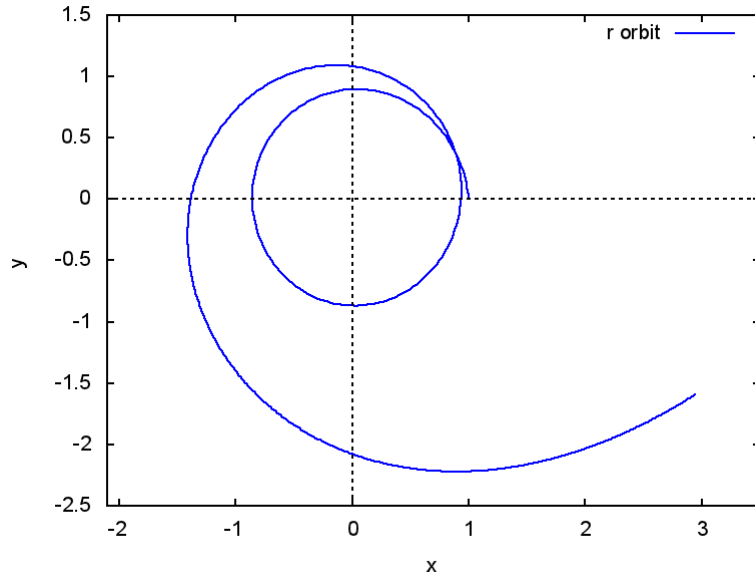


Figure 1: Orbits of Coates spiral in non-relativistic limit with  $m(r)=1$ .

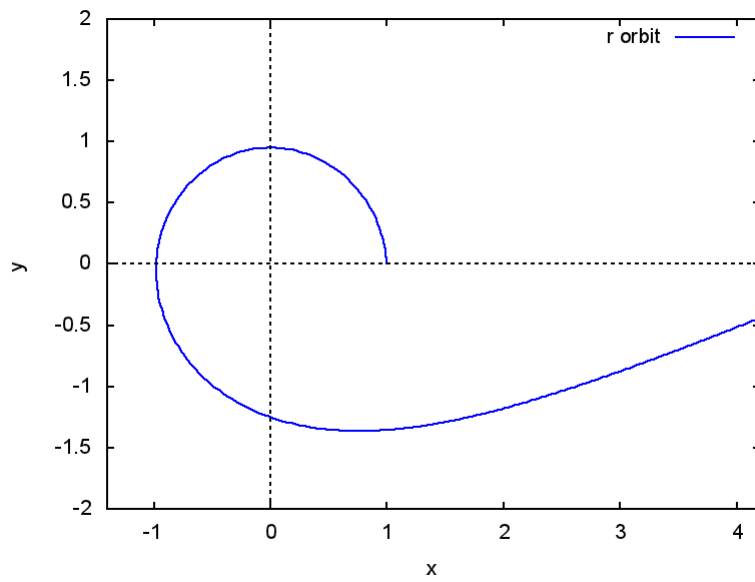


Figure 2: Orbits of Coates spiral in non-relativistic limit with exponential  $m(r)$ .

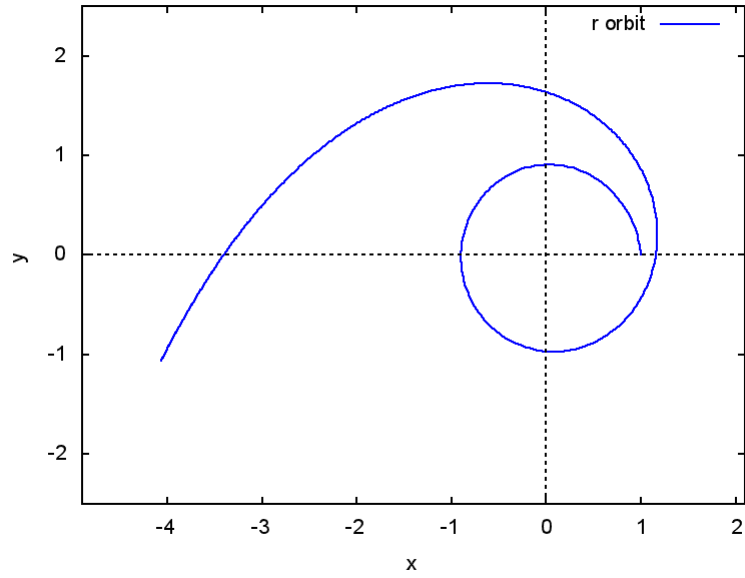


Figure 3: Orbits of Coates spiral in ultra-relativistic limit with  $m(r)=1$ .

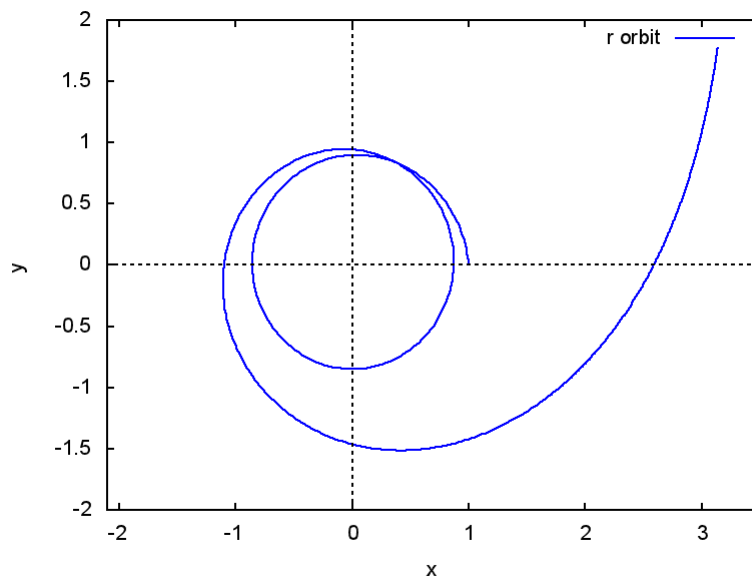


Figure 4: Orbits of Coates spiral in ultra-relativistic limit with exponential  $m(r)$ .

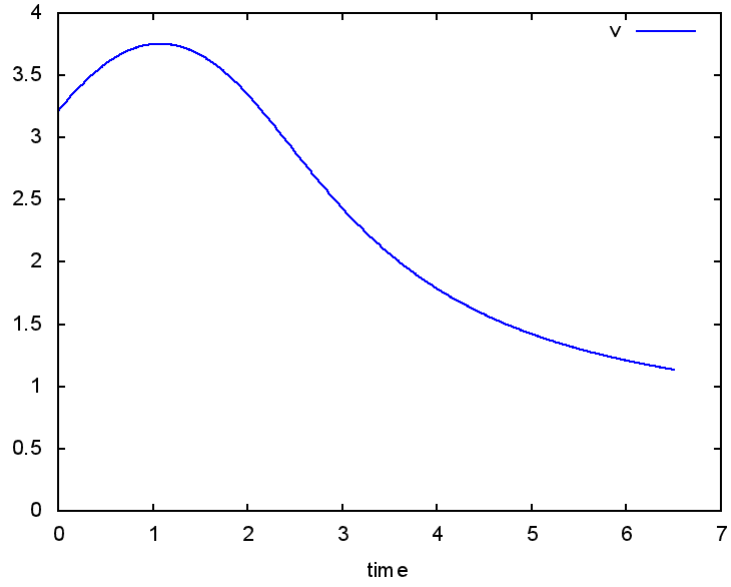


Figure 5: Velocity curve belonging to Fig. 4.

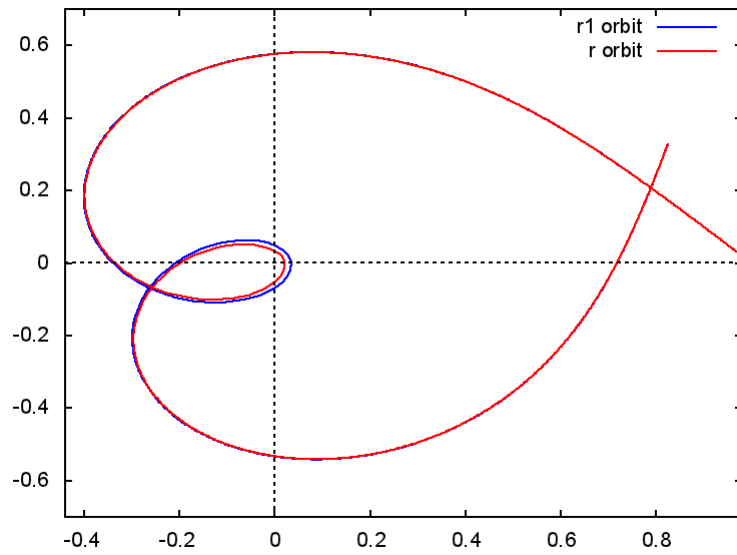


Figure 6: Orbits of Coates spiral in space  $(r_1, \phi)$ , ultra-relativistic limit with exponential  $m(r)$ .

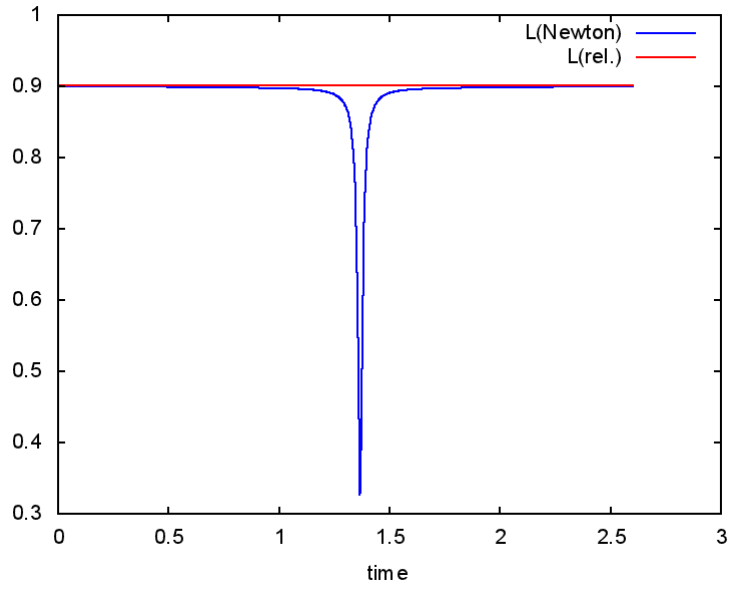


Figure 7: Angular momenta of Coates spiral in Fig. 6.

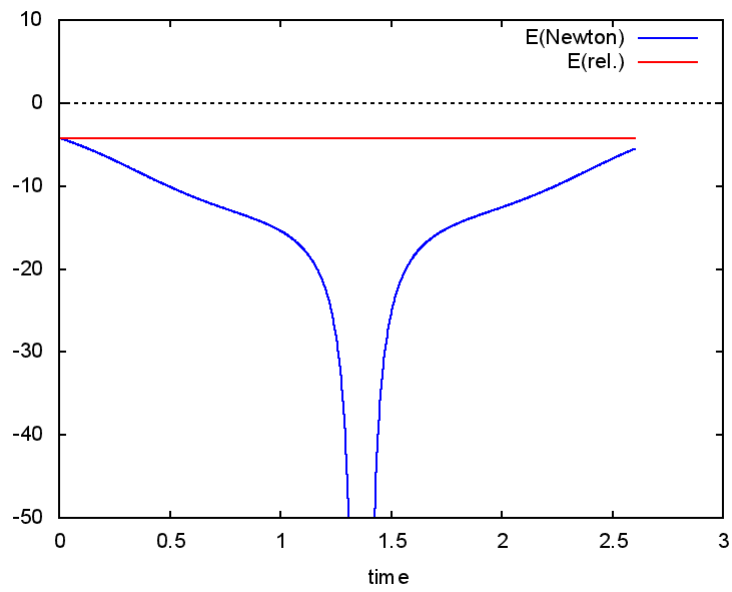


Figure 8: Total energies of Coates spiral in Fig. 6.